

# Nanocapacitive Circuit Elements

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The progressive miniaturization of electronic devices is a significant challenge. Although the mainstream approach is to extend conventional optical lithography into the deep ultraviolet range, there are diverse other schemes under investigation including X-ray lithography, ion beam lithography, electron beam lithography, and laser interference lithography.

“Nanosphere lithography” (NSL) or “natural lithography” offers a surprisingly simple, albeit rather limited, alternative, which is suitable particularly for periodic arrays of nanometer-scale structures. This technique appears to have been pioneered by Deckman in the 1980s<sup>1,2</sup> (as natural lithography) and picked up (and renamed nanosphere lithography) by Van Duyne, Hulteen, and co-workers in the mid 1990s.<sup>3</sup> These schemes have been used to make nanocaps and semishells,<sup>4–8</sup> diffraction gratings,<sup>9</sup> light emitting surfaces,<sup>10</sup> and molecular biosensors.<sup>11–13</sup> However, as far as we can determine, NSL has not previously been used to prepare working circuit elements. Here we describe how the technique can be used to fabricate tiny capacitors and diodes.

The principle of NSL is illustrated and explained in Figure 1. The templating sphere is usually silica or polystyrene, with a diameter in the 50–500 nm range. The diameter

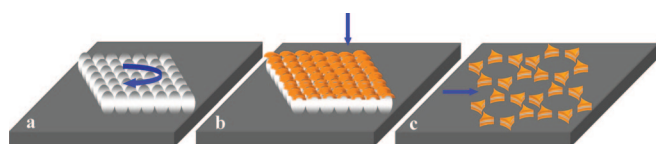
**ABSTRACT** “Natural” lithography was used to prepare arrays of nanoscale capacitors on silicon. The capacitance was verified by a novel technique based on the interaction of a charged substrate with the electron beam of a scanning electron microscope. The “nanocapacitors” possessed a capacitance of  $\sim 1 \times 10^{-16}$  F and were observed to hold charge for over an hour. Our results indicate that fabricating nanostructures using natural lithography may provide a viable alternative for future nanoelectronic devices.

**KEYWORDS:** natural lithography · nanocapacitor · scanning probe microscopy · scanning electron microscopy

of the spheres must be nearly monodisperse, or else an ordered colloidal crystal template will not form. Here our interest has been in the structures developed on the silicon substrate lying *underneath* the mask, but the process can also be used to develop semishells and other interesting shapes *on top* of the template spheres.<sup>4,7</sup>

In the present work, we used NSL to lay down an array of triangular Au–Al<sub>2</sub>O<sub>3</sub>–Au nanocapacitors on the {100} surface of *n*-doped silicon. Polystyrene latex spheres of 200 nm diameter were used as the mask. The Au layers were applied at 10 nm thickness with high vacuum DC magnetron sputtering, and the Al<sub>2</sub>O<sub>3</sub> was deposited at a nominal 5 nm thickness using a high vacuum RF magnetron sputterer. The techniques used are described in detail in the Methods section. Verification of charge storage

(*i.e.*, the capacitance) required the development of a new technique, which we describe fully here. The array of Au/Al<sub>2</sub>O<sub>3</sub>/Au nanocapacitors is depicted in Figure 2. The nanostructures have in-plane widths of roughly 100 nm and an out-of-



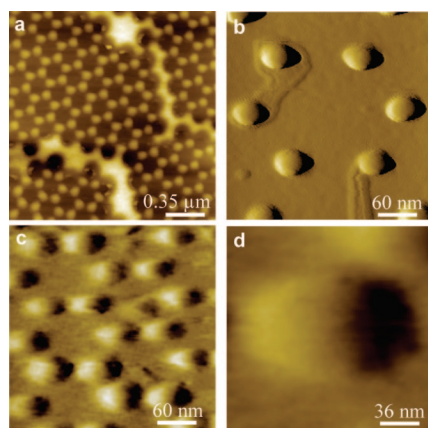
**Figure 1.** Schematic illustration of the process of nanosphere lithography (NSL). (a) A mono- or bilayered colloidal crystal of a suitable templating particle is developed on the substrate by some suitable means. (b) The template is top-coated with one or more materials of interest, usually by physical vapor deposition. Some of the material deposited penetrates through the interstices and down onto the substrate. (c) The template is removed, leaving only the material deposited on the substrate.

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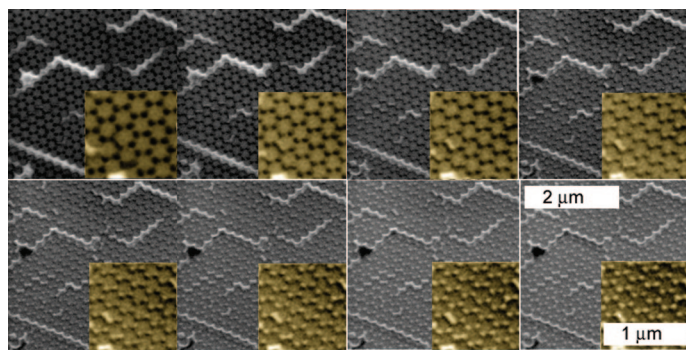


**Figure 2.** Nanoscale capacitors produced by nanosphere lithography. (a) Low magnification image produced using AFM. (b) High magnification image produced using AFM. (c,d) High magnification image obtained using STM.

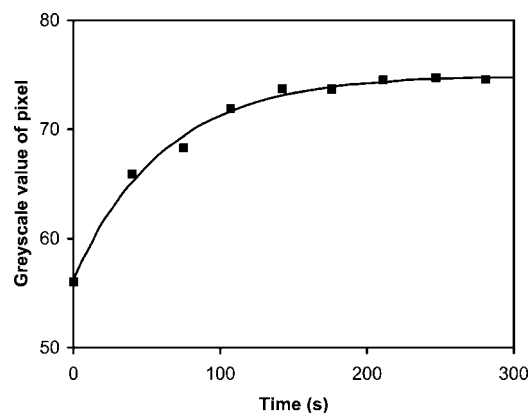
plane height of about 25 nm, as determined by AFM.

Figure 3A–H shows secondary electron (SE) images of an array of Au/Al<sub>2</sub>O<sub>3</sub>/Au nanocapacitors (small gray dots) on the Si substrate, acquired as a function of time (*t*) at a primary electron (PE) energy,  $E_{PE} = 0.3$  keV; PE beam current,  $I_{PE} = 100$  pA; working distance, and  $WD = 3$  mm. It can be seen that as the PE beam scans the magnified area of the image each nanocapacitor becomes increasingly brighter, indicating that the net surface potential on the top Au electrode is becoming more negative with time (see Methods section). It is obvious from the images that the rate at which each nanocapacitor charges is much greater than the rate at which they discharge as each nanocapacitor appears brighter with time and hence electron injection dosage. This experiment was repeated several times for reproducibility. The effect seen in Figure 3 clearly demonstrates that each of the nanocapacitors is storing charge and therefore acting as a capacitive device. It should be noted that the leakage current of each nanocapacitor is very small as they remained bright for several hours to days after they were charged by the PE beam.

Assuming that the detection system used to generate SE images efficiently discriminates against backscat-



**Figure 3.** SE images of Au(10 nm)–Al<sub>2</sub>O<sub>3</sub>(5 nm)–Au(10 nm) nanocapacitors acquired as a function of time illustrating dynamic charging: (a)  $t = 0$  s; (b)  $t = 41$  s; (c)  $t = 75$  s; (d)  $t = 108$  s; (e)  $t = 143$  s; (f)  $t = 177$  s; (g)  $t = 212$  s; (h)  $t = 246$  s [ $E_{PE} = 0.3$  keV,  $I_{PE} = 100$  pA,  $WD = 3$  mm].



**Figure 4.** Graph of average grayscale intensity (GSI) versus time for a Au(10 nm)–Al<sub>2</sub>O<sub>3</sub>(5 nm)–Au(10 nm) nanocapacitor.

tered electrons (BSEs), such as the in-lens SE detector used in this work, a plot of the grayscale intensity (GSI) versus time with the PE beam on (when brightness and contrast settings of the in-lens SE detector remain constant) can be used to represent the change in the SE emission coefficient and hence the charging characteristics of a nanocapacitive device (*i.e.*, the rate of charge storage/leakage or the characteristic time constant ( $RC$ )).

In order to estimate the increase in charge stored in each of the nanocapacitors as a function of time, the average GSI, calculated from the consecutive images shown in Figure 3, has been plotted versus time in Figure 4. The GSI values were measured using Scion Image (Scion Image for Windows Beta 4.0.2, Scion Corporation, Frederick, MD) for each particular nanocapacitor and were averaged over the entirety of its  $\sim 100$  nm diameter surface. It can be seen that the GSI increases with time as a first-order exponential function of decreasing gradient which levels off after approximately 100–150 s. This is in agreement with the electron irradiation experiments of Cazaux *et al.*,<sup>15</sup> who found that the negative surface potential on floating Ag-coated MgO reached steady state around 75–150 s. Cazaux<sup>16</sup> theoretically confirmed these observations by showing that the secondary electron yield is directly related to the surface potential when the PE penetration range is much less than the material thickness. The experimental GSI data (square dots) of Figure 4 were fitted using the exponential function (dark line)

$$GSI(t) = GSI_{\infty} - Ae^{-\frac{t}{RC}} \quad (1)$$

where  $A$  is a fitting constant,  $GSI_{\infty}$  is equal to the steady-state value of GSI, and  $RC$  is the characteristic charging time constant of the nanocapacitor;  $R$  being the bulk resistance of the Al<sub>2</sub>O<sub>3</sub> layer and  $C$  the capacitance of the nanocapacitor. The values of  $GSI_{\infty}$  and  $RC$ , obtained by fitting the exponential function above to the experimental data, were determined to be  $75 \pm 1$  and  $61 \pm$

5 s, respectively. The room temperature volume resistivity of the high purity (99%)  $\text{Al}_2\text{O}_3$ , used to fabricate the capacitive nanostructures herein, was  $\sim 10^{12} \Omega \cdot \text{m}$ , which gives the resistance of the 5 nm thick and 100 nm diameter  $\text{Al}_2\text{O}_3$  core of each nanocapacitor to be  $6.4 \times 10^{17} \Omega$  and therefore a capacitance of  $(9.6 \pm 0.8) \times 10^{-17}$  farads.

The capacitance of a plane parallel capacitor can be described by the well-known equation

$$C = \epsilon_0 \epsilon_r A / L \quad (2)$$

where  $\epsilon_0$  is the permittivity of free space,  $\epsilon_r$  is the relative permittivity of the dielectric medium between the electrodes of the capacitor,  $A$  is the cross-sectional area of the dielectric, and  $L$  is the electrode gap distance. The bulk resistance of the dielectric layer within a capacitor is

$$R = \rho L / A \quad (3)$$

where  $\rho$  is the bulk resistivity of the dielectric. It can therefore be seen from eqs 2 and 3 that the time constant of a plane parallel plate capacitor is

$$RC = \rho \epsilon_0 \epsilon_r \quad (4)$$

The relative permittivity of the high purity  $\text{Al}_2\text{O}_3$  used to fabricate the capacitive nanostructures was  $\epsilon_r = 9.0$ . Substituting this value and the value for  $\rho$  shown previously into eq 4 gives the theoretical time constant of the nanocapacitors to be 79 s, which is in reasonable agreement with the experimental value of  $61 \pm$

5 s obtained. Equation 1 gives the theoretical capacitance of the nanocapacitors to be  $12 \times 10^{-17}$  farads, which is also in reasonable agreement with the experimental value of  $(9.6 \pm 0.8) \times 10^{-17}$  farads.

Monte Carlo simulations of a scanning electron beam incident on a 10 nm Au layer (representing the top Au electrode) were performed using CASINO.<sup>17</sup> The simulations showed that the maximum penetration range of the 0.3 kV PE beam was 3 nm below the surface of the 10 nm upper Au electrode. This demonstrates that the nanocapacitors studied were behaving capacitatively as the increase in pixel intensity, or SE emission, seen in Figures 3 and 4 was indeed due to an increase in the surface potential of the top Au electrode rather than an electrostatic field effect from direct charge buildup within the  $\text{Al}_2\text{O}_3$  core.

In conclusion, we have demonstrated how nanosphere lithography can be used to fabricate ordered arrays of capacitive circuit elements, spaced about 100 nm apart. The capacitance of the Au– $\text{Al}_2\text{O}_3$ –Au nanocapacitors was obtained from transient GSI measurements and was determined to be  $(9.6 \pm 0.8) \times 10^{-17}$  farads. This is in good agreement with the theoretical value of  $12 \times 10^{-17}$  farads. The dynamic charging experiments presented above qualitatively demonstrate that the nanocapacitive structures fabricated in this work are capable of storing usable amounts of charge for sufficient periods of time. These results imply that fabricated nanocircuit elements of these types could be incorporated into nanosized electronic circuits, potentially bringing benefits in terms of a reduction in power requirements and size.

## METHODS

The silicon wafer used presented a surface with {100} orientation and *n*-type doping. Samples measuring approximately  $1 \times 1$  cm were cut from the wafer and cleaned by immersion in "piranha solution" at 65 °C for  $\sim 15$  min. The substrates were rinsed copiously with high purity water (18 M $\Omega$  resistivity), rinsed with absolute ethanol, and dried with nitrogen gas. Aqueous suspensions of polystyrene spheres with mean diameters of 200 nm (Spherotech Inc.) were further diluted in a solution of Triton X-100X-100/methanol (1:400 by volume).

The nanosphere lithography (NSL) masks were created by spin coating the suspension of polystyrene nanospheres onto the silicon substrates at 3600 rpm using a custom-built spin coater. The entire substrate was spin coated with the nanospheres for 40 s.

The specimens were then placed in a high vacuum vapor deposition system, which was evacuated for a minimum of 4 h to yield a base pressure of  $\sim 10^{-4}$  Pa ( $10^{-6}$  Torr). Multilayer structures of Au/ $\text{Al}_2\text{O}_3$ /Au were deposited using high vacuum DC sputtering for the Au and RF magnetron sputtering for the  $\text{Al}_2\text{O}_3$ . The sputtering targets were 99.999% pure discs (50 mm diameter), placed 150 mm away from the substrate. Sputtering was carried out in the presence of flowing Ar, at a pressure of 0.3 Pa (2 mTorr). The thickness of Au used was the minimum required to produce electrical continuity. An *in situ* electrical measurement was used to monitor the Au film during deposition. The method has been described previously.<sup>18</sup> The thickness of the  $\text{Al}_2\text{O}_3$  layer was monitored by a quartz crystal mounted in the

chamber. After the coating, the substrate was washed with ethanol, and then the polystyrene nanospheres were removed by placing each specimen in dichloromethane and sonicating for a minimum of 2 h.

**AFM Measurements.** A Digital Instruments Multimode Nanoscope III scanning force microscope was used to obtain topographic data. Imaging was conducted in tapping mode, with  $512 \times 512$  data acquisitions at a scan speed of 1.4 Hz at room temperature in air. Oxide-sharpened silicon nitride tips with integrated cantilevers with a nominal spring constant of 0.38 N/m were used. The gold nanostructure dimensions were measured by a pair of cursors along a reference line. The cross-sectional and horizontal distances between each pair of cursors were defined as the width and length of the different nanostructures, respectively. The data were obtained from at least 15 sections of several conjugated gold nanostructures, and the average data are reported here.

The scanning tunneling microscopy was performed at several locations on the nanostructures and on the clean Si(100) surface using Multimode Nanoscope III. AFM/STM images were manipulated with the Scanning Probe Image Processor (SPIP) software. Contrast-enhanced images were obtained by applying a correlation averaging procedure to analyze repeat particle units and by applying a low-pass filter.

**Estimation of Charge and Leakage Currents.** There are several approaches to investigate transient charging or discharging within insulating materials or devices. One approach is to measure the leakage (current flow to ground) and displacement currents

(time variation of trapped charge induced in an external circuit) from a sample using conventional electrometers. This approach is often unsatisfactory with nanostructures, as the leakage current is difficult to measure accurately due to the small size of the device which causes difficulty in connecting the electronic apparatus. The substrate (e.g., silicon) is often much larger than each nanocapacitor, so that charging/discharging characteristics measured *via* the specimen current will be those from the substrate. Another approach is to use electrostatic mirror and deflection techniques.<sup>19</sup> Negative charge is first implanted in an insulating sample using a highly energetic electron beam. The beam energy is then reduced, and the electrostatic repulsion of primary electrons from the charge-implanted regions produces mirroring and distortion effects within SEM images. This is used to provide quantitative spatial and temporal information of the trapped charge. This technique is also difficult to perform on nanocapacitors due to their small size and the consequent inability to insert a measurement apparatus, such as a fine conducting mesh, between them and the substrate. Therefore, an alternative approach is required to measure dynamic charging within very small devices such as the present nanocapacitors.

A simple, but rather crude, approach is to monitor the brightness (grayscale intensity (GSI)) of pixels on a particular nanocapacitor as a function of time. Once a calibrated relationship between the GSI and time is obtained for a particular nanocapacitor, this can then be implemented into theoretically derived expressions that relate the net trapped charge to emissive SE and BSE signals. As will be revealed, such a technique enables the relative magnitude of the net charge trapped in a nanocapacitor to be determined as a function of time, and hence the time constant for charging can be evaluated.

In conventional high vacuum SEM, an increase in the SE emission coefficient or yield ( $\delta$ ) (brightening of pixels) following electron irradiation represents negative sample charging.<sup>20</sup> The resulting negative surface potential ( $V_s$ ) caused by the net increase in the amount of negative charge injected into the sample surface by the PE beam increases  $\delta$  by (i) effectively reducing the work function for SEs<sup>16,20–23</sup> and (ii) retarding the landing energy of the primary beam, producing more SEs within the escape depth. Brightening of pixels with time represents dynamic negative charging. Conversely, darkening of pixels corresponds to the sample losing negative charge in the charge layer, *i.e.*, positive charging. According to the “total yield approach” and the charge conservation law,<sup>24</sup> a dynamic equilibrium (steady-state charging condition) is attained when the total electron emission yield from the sample reaches unity.<sup>16,23,25</sup> The total emission yield ( $\sigma$ ) is the sum of  $\delta$  and the backscattered electron (BSE) yield ( $\eta$ ). The condition where  $\sigma = \delta + \eta = 1$  occurs at one of two critical emission points  $E_1$  and  $E_2$  on a plot of  $\sigma$  versus electron energy ( $E$ ), where  $E_2 > E_1$ .<sup>16,21–24</sup> An insulating sample charges negatively ( $\sigma < 1$ ) when either  $E_{PE} < E_1$  or  $E_{PE} > E_2$ . Conversely, an insulating sample charges positively ( $\sigma > 1$ ) when  $E_1 < E_{PE} < E_2$ .<sup>16,23,24</sup> Theoretical work detailing the electric fields, surface potentials, and transients associated with charging of dielectrics and conducting materials can be found in the literature.<sup>16,19–24</sup>

When an insulating specimen is coated with a floating metallic conductor, such as the nanocapacitive devices studied here, the total yield approach fails to correctly describe the charging mechanisms that actually occur. This phenomenon was experimentally justified by Cazaux,<sup>15</sup> who reported a negative surface potential for a floating Ag coating on a MgO sample at PE beam energies of 2–5 keV even though the total yield approach predicts that a positive surface potential and, hence, positive charging occurs. Figure M1 illustrates this by showing a plot of the surface potential versus PE beam energy, obtained by Cazaux for a 3 nm floating Ag layer. Hofmann<sup>26</sup> reported similar findings, in which the surface potential on ZrO<sub>2</sub>-coated alumina was always found to be negative for PE beam energies of 0.2–10 keV. Furthermore, Jbara *et al.*<sup>27</sup> have demonstrated that the surface potential is always negative for a floating metallic coating on an insulating material and that the surface potential on a floating metallic-coated insulator is more negative than for the same uncoated insulator.

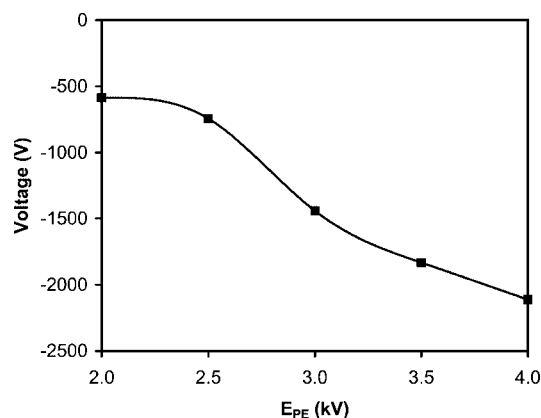


Figure M1. Surface potential ( $V_s$ ) versus primary electron (PE) beam energy ( $E_{PE}$ ) for a 3 nm floating Ag coating on MgO (adapted from Cazaux *et al.*<sup>15</sup>).

When the PE penetration range is much smaller than the thickness of the floating metallic coating, which is the case for the nanocapacitors studied in this work, the injected charge from the PE beam will redistribute on the surfaces of the Au nanodot electrode. Consequently, the negative surface potential generated on the electrode will be equivalent to that of a plane parallel capacitor:

$$V_s = \frac{\sigma^- L}{\epsilon_0 \epsilon_r} \quad (7)$$

where  $\sigma^-$  is the surface charge density on the surface of the metallic coating,  $L$  is the thickness of the dielectric layer,  $\epsilon_0$  is the permittivity of free space, and  $\epsilon_r$  is the dielectric constant of the insulator.<sup>15,23</sup>

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